

Seismic Multi-Axial Behavior of Concrete-Filled Steel Tube Beam-Columns



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Introduction

- NEESR-II: System Behavior Factors for Composite and Mixed Structural Systems
- Analytical Investigation
 - Following prior work focusing on RCFT members and extending to CCFT and SRC members
 - Three-dimensional distributed plasticity mixed beam element formulation
 - Comprehensive uniaxial cyclic constitutive models for concrete core and steel tube
 - Parametric Studies
 - Developing rational system response factors (ATC-63)
 - Investigations of beam-column strength
 - Establishing guidelines for the computation of equivalent composite beam-column rigidity to be used in seismic analysis and design of composite frames
- Experimental Investigation



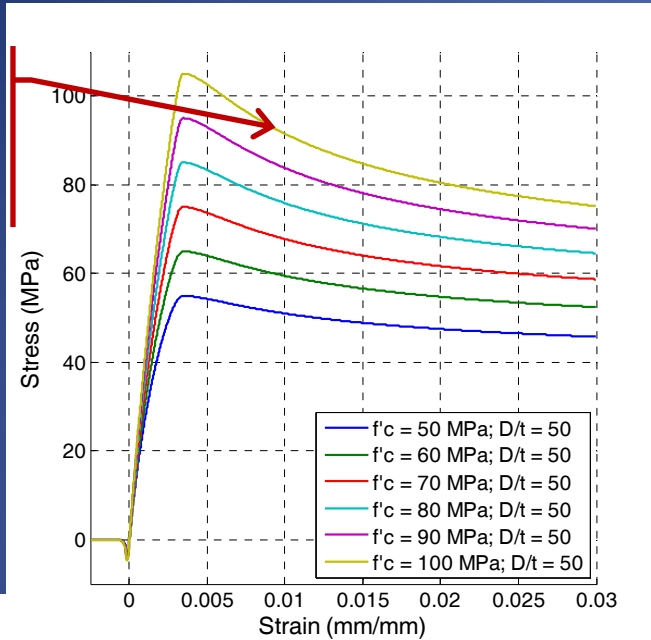
Element Formulation

- Three-dimensional distributed plasticity mixed beam element formulation
- Mixed basis allows for accurate analysis of material and geometric nonlinearity
 - Interpolation functions for both element displacements and forces
- Formulated in the corotational frame
- Implemented within the OpenSees framework
 - Suitable for static and dynamic analyses
 - Utilizes built in coordinate transformations and sections



Concrete Backbone Curve

Increasing post-peak degradation with increasing f'_c



Backbone curve in tension and compression based on the model by Tsai (1988)

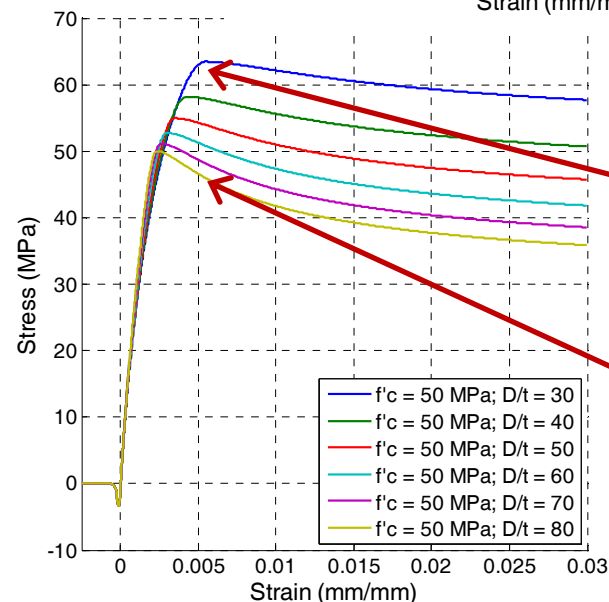
Compression:

- Initial stiffness: $E_c [\text{MPa}] = 8,200 f'_c [\text{MPa}]^{3/8}$
- Peak stress: $f'_{cc} = f'_c \left(-1.254 + 2.254 \sqrt{1 + \frac{7.94 f_l}{f'_c}} - 2 \frac{f_l}{f'_c} \right)$
 - Confinement Pressure: $f_l = \alpha_\theta F_y \frac{2}{D/t - 2}$
 - Hoop Stress Ratio: $\alpha_\theta = 0.138 - 0.00174(D/t) \geq 0$
- Strain at peak stress: $\varepsilon'_{cc} = \varepsilon_c (1 + 5(f'_{cc}/f'_c - 1))$
- Post peak factor r :

$$r^- = \begin{cases} f'_c [\text{MPa}] / 5.2 - 1.9 & \text{for } \varepsilon > \varepsilon'_{cc} \\ 0.4 + 0.016(D/t) (f'_c / F_y) & \text{for } \varepsilon \leq \varepsilon'_{cc} \end{cases}$$

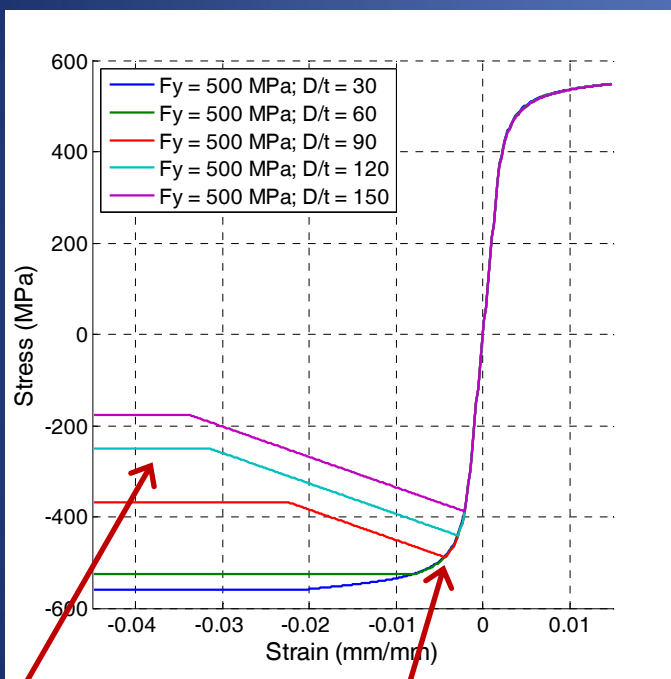
Increasing strength with decreasing D/t

Increasing post-peak degradation with increasing D/t



Steel Backbone Curve

Plasticity model based on the incremental bounding surface formulation by Shen et al. (1995) with modifications for CCFT members



Local Buckling:

$$R = \frac{D}{t} \frac{F_y}{E_s}$$

- Strain at initial local buckling: $\varepsilon_{lb} = \varepsilon_y (0.2139R^{-1.413})$

- Residual stress:
$$f_{rs} = \begin{cases} f_{lb} (R_{crit} / R) & \text{for } R > R_{crit} = 0.17 \\ f_{lb} & \text{otherwise} \end{cases}$$

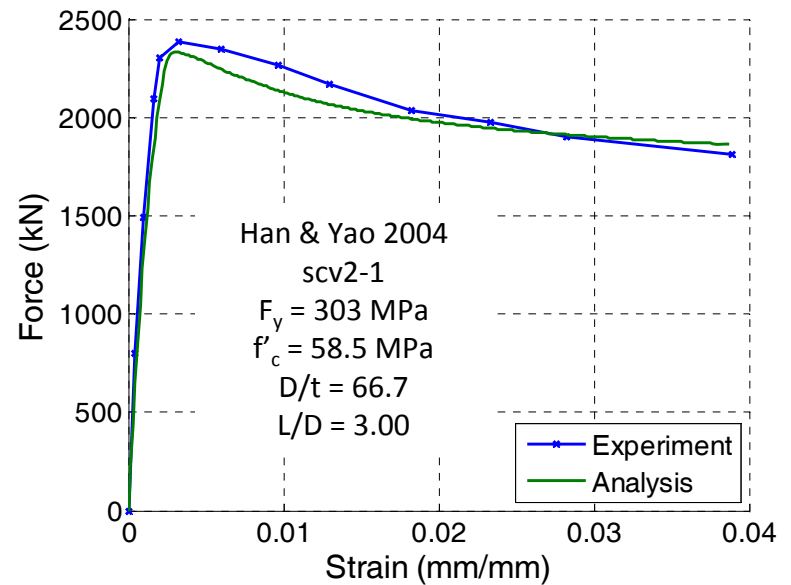
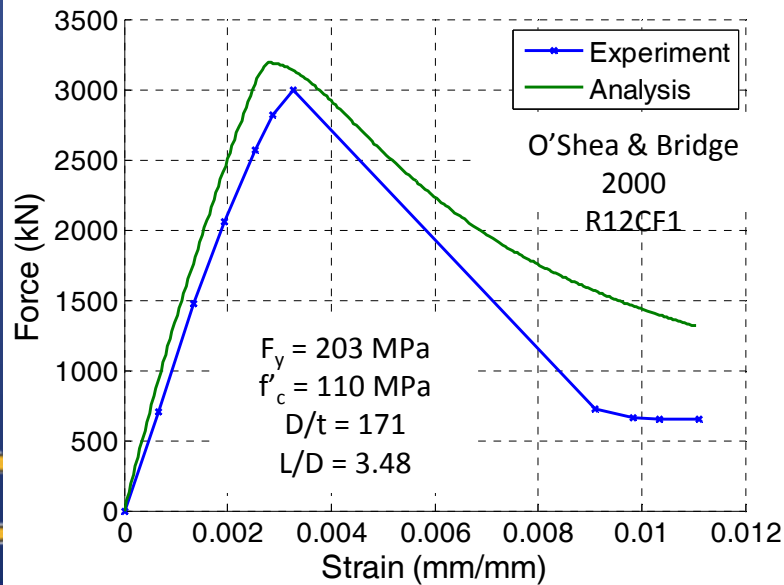
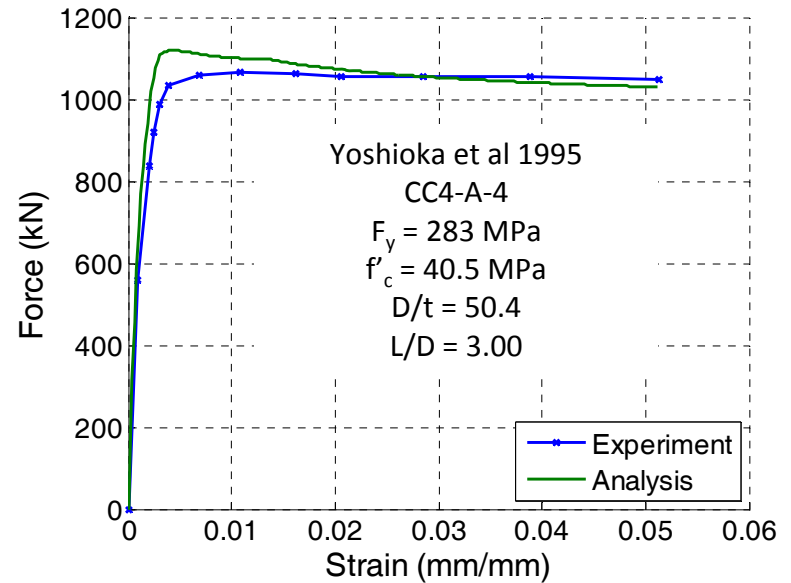
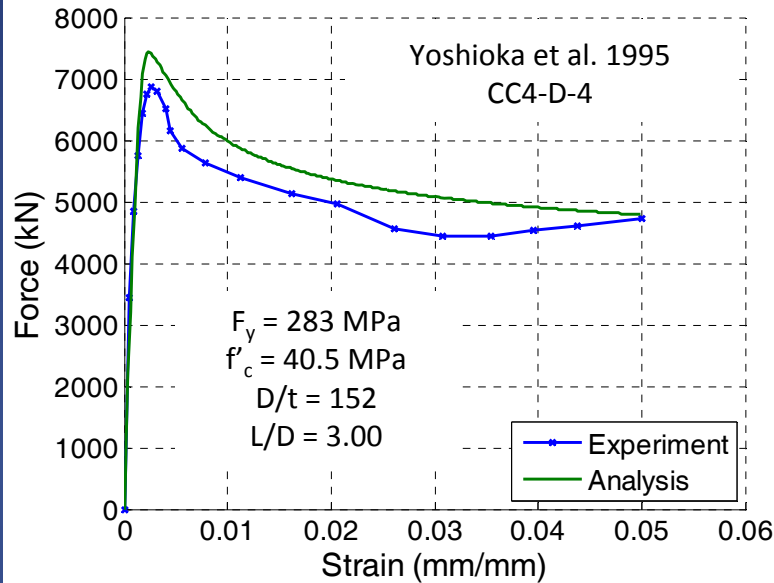
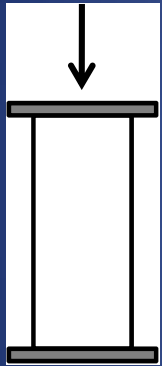
- Degradation slope:
$$K_s = -\frac{E_s}{30}$$

Residual Stresses:

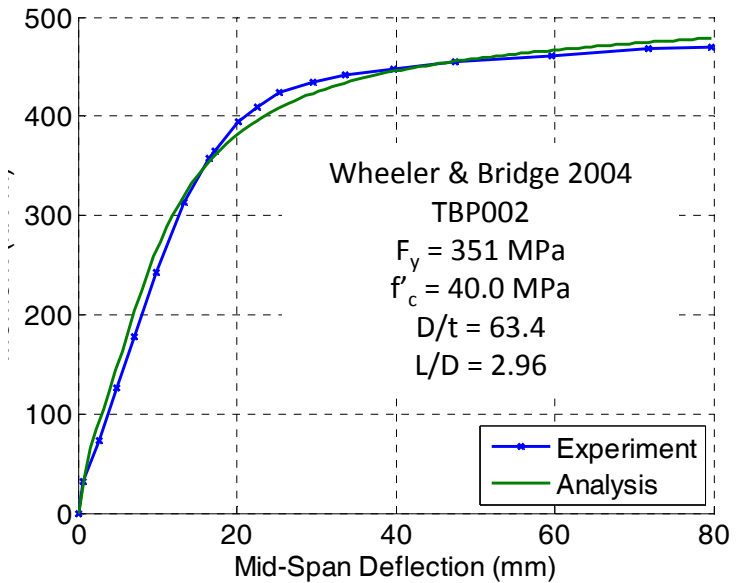
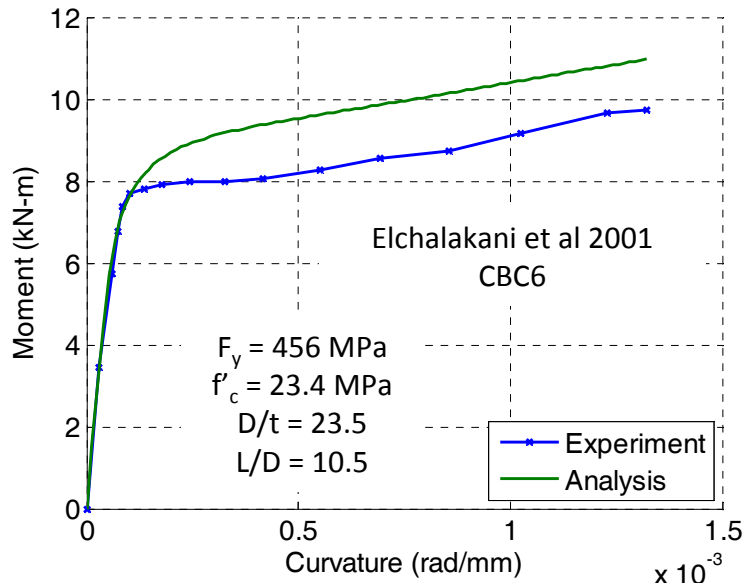
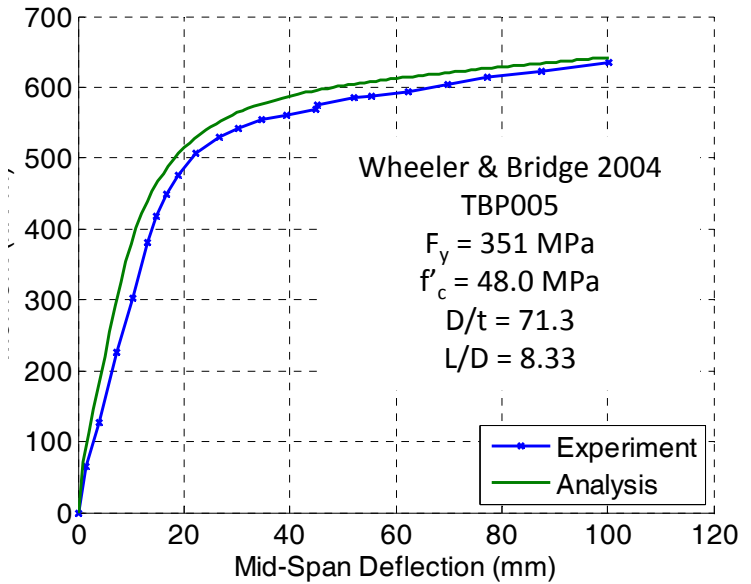
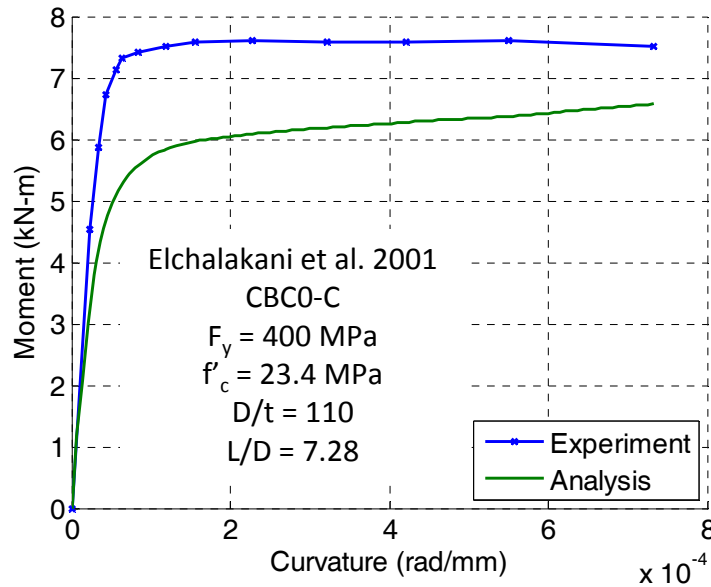
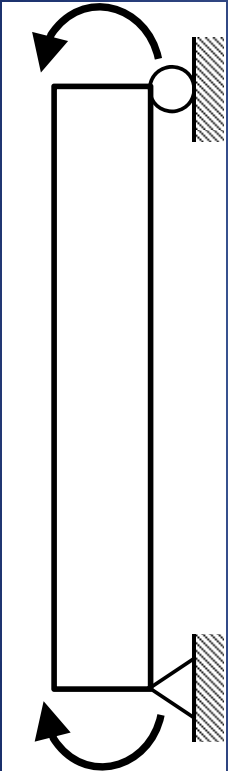
Initial plastic Strain: 0.0006



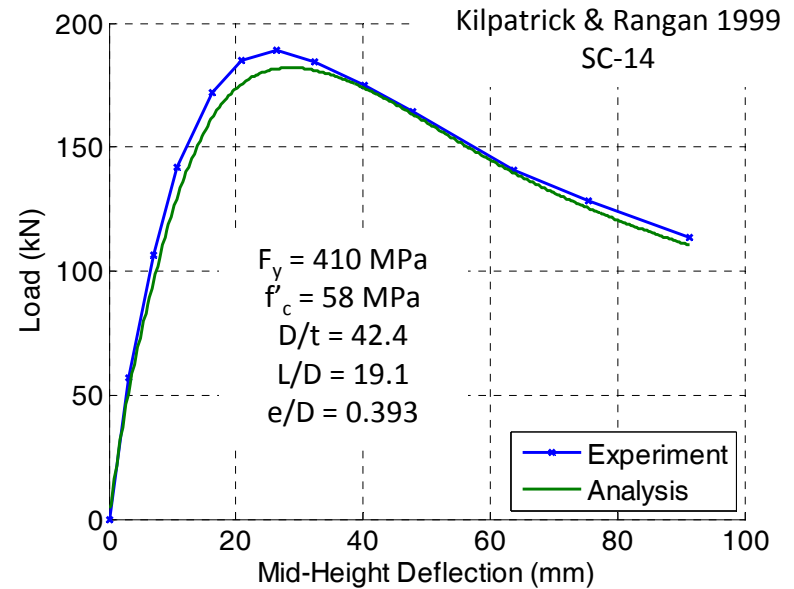
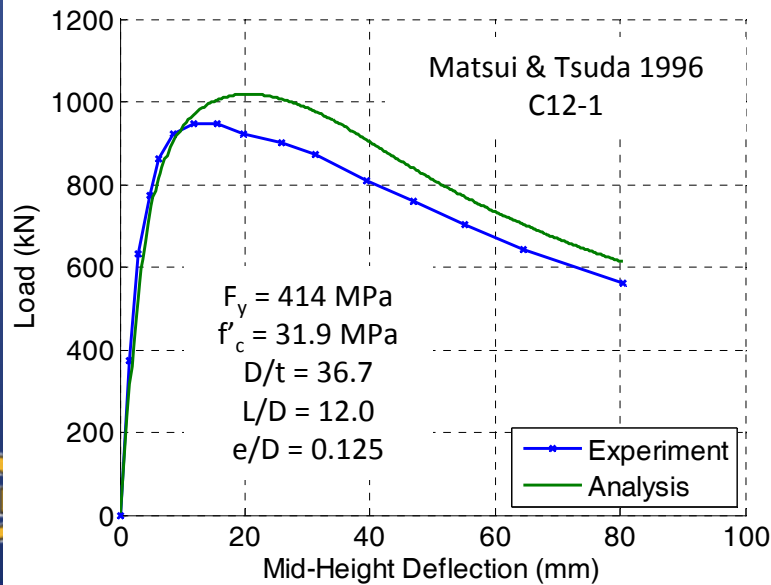
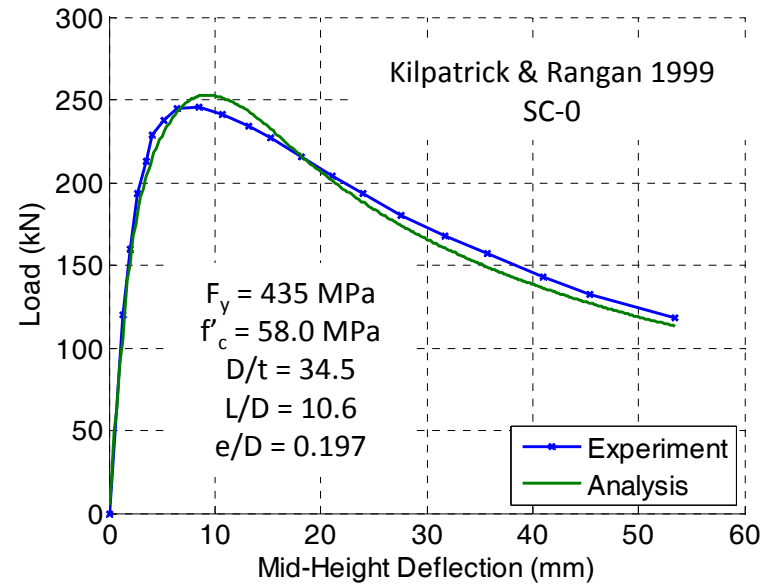
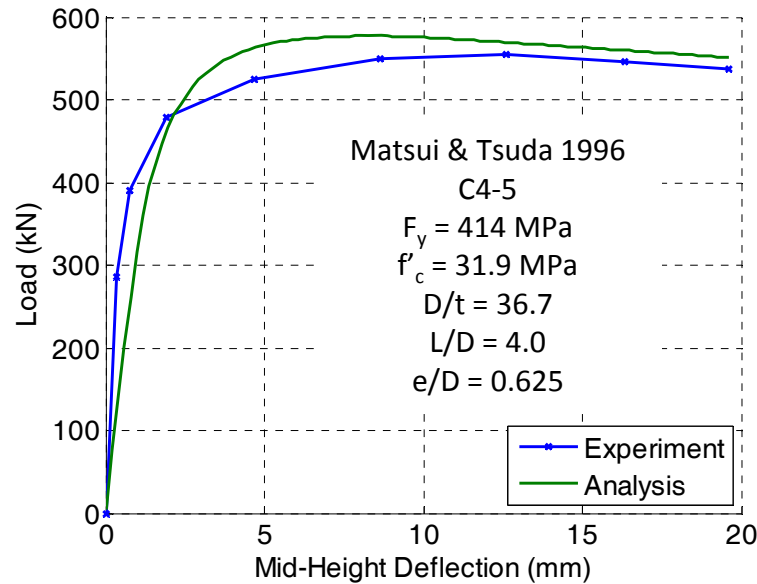
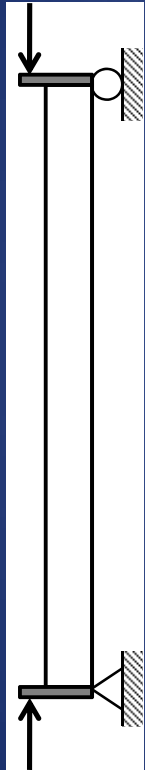
CCFT Model Validation



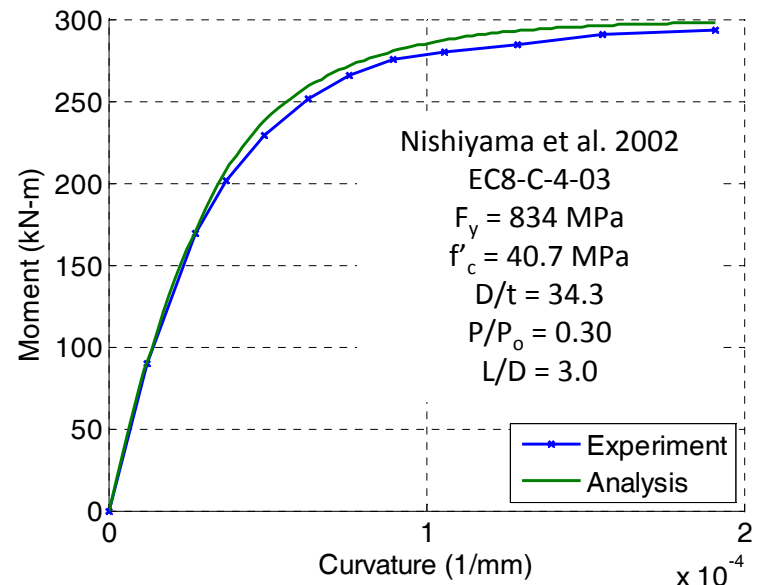
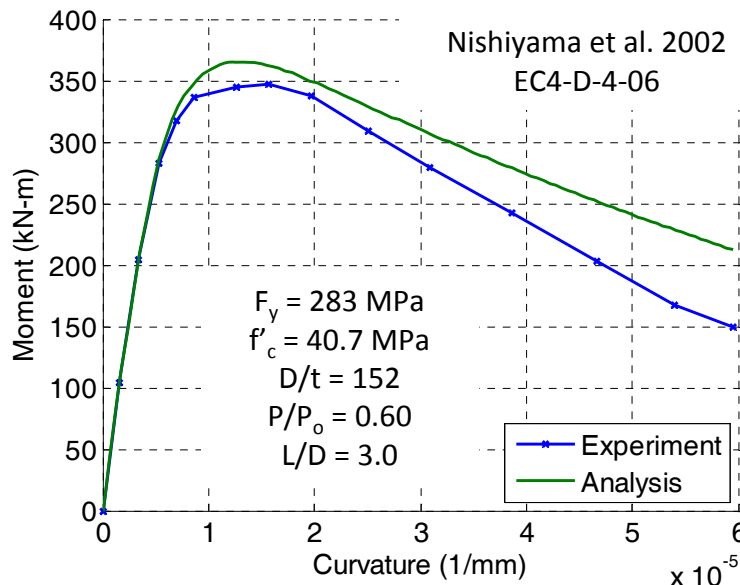
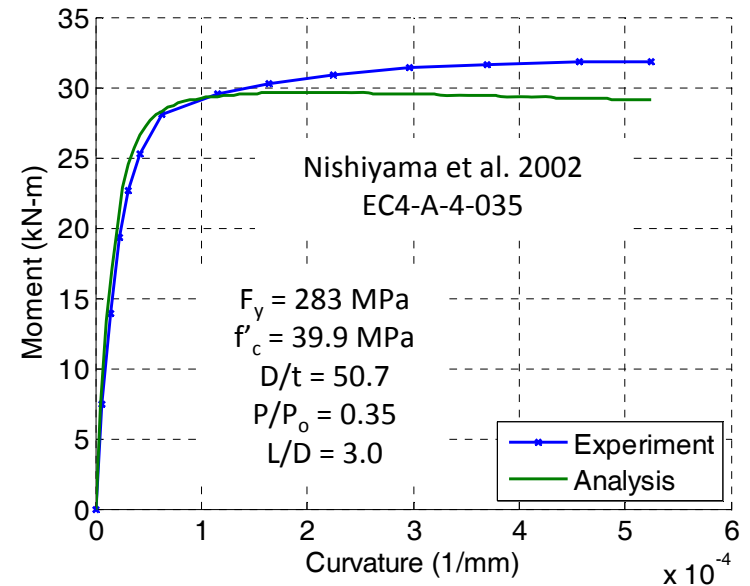
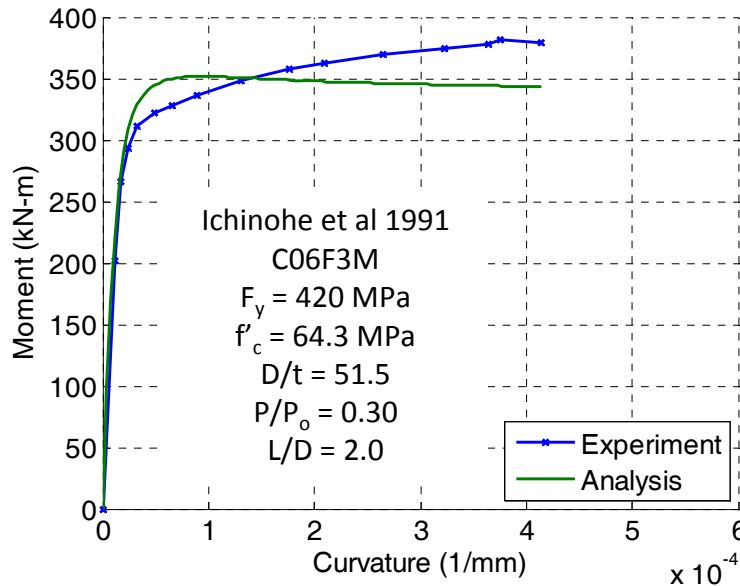
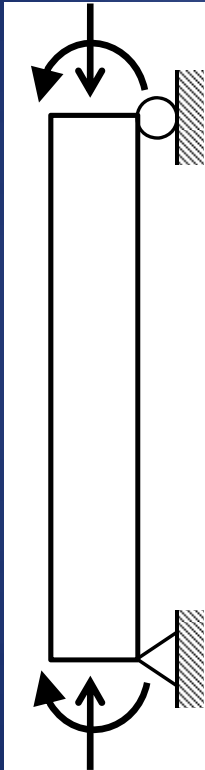
CCFT Model Validation



CCFT Model Validation



CCFT Model Validation



Cyclic Behavior

Steel

Cyclic plasticity model
by Shen et al.
(1995)

- Elastic unloading
- Decreasing elastic zone
- Bauschinger effect
- Bounding stiffness

Local buckling
degradation

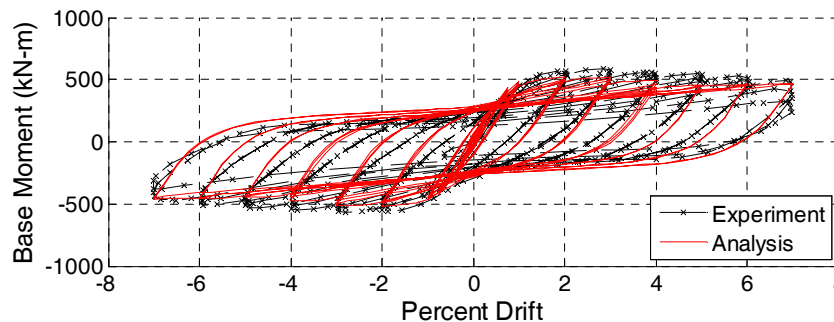
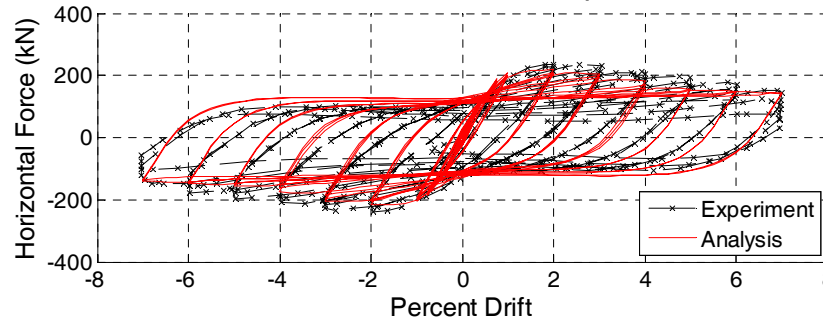
- Elastic range: γ_k

$$\gamma_k = \left(1 - 15R \sqrt{\frac{W^p}{F_y}} \right) \geq 0.05$$

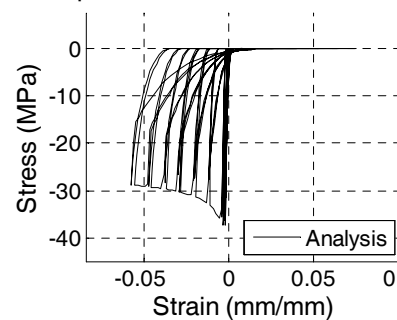
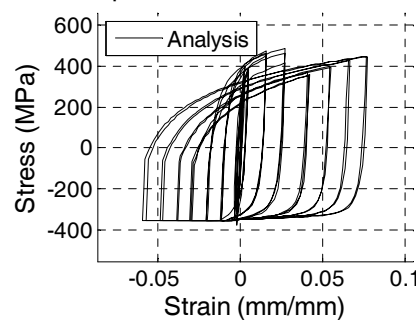
- Plastic modulus: E^p

$$\gamma_{E^p} = \left(1 - 10R \sqrt{\frac{W^p}{F_y}} \right) \geq 0.05$$

Test #3; Marson & Bruneau 2004; Specimen: CFST 64



Response of Extreme Steel Fiber Response of Extreme Concrete Fiber



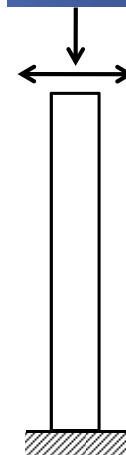
$D = 406 \text{ mm}; t = 5.50 \text{ mm}; f'_c = 37 \text{ MPa}; F_y = 449 \text{ MPa};$
 $L = 2,200 \text{ mm}; P = 1,000 \text{ kN}$

Concrete

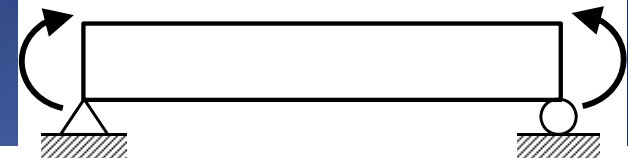
Rule based model by
Chang and Mander
(1994)

Smooth nonlinear
unloading,
reloading, and
transition curves

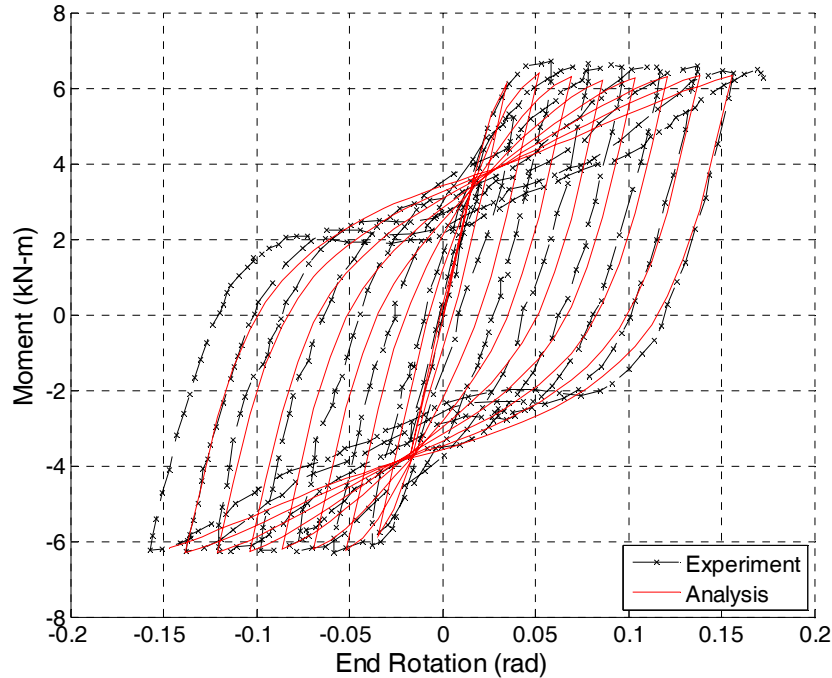
- Cyclic tension
- Opening and closing of cracks



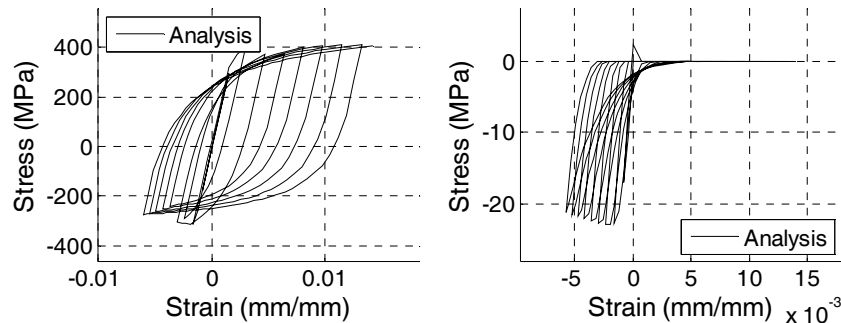
Cyclic Model Validation



Test #3; Elchalakani & Zhao 2008; Specimen: F04I1

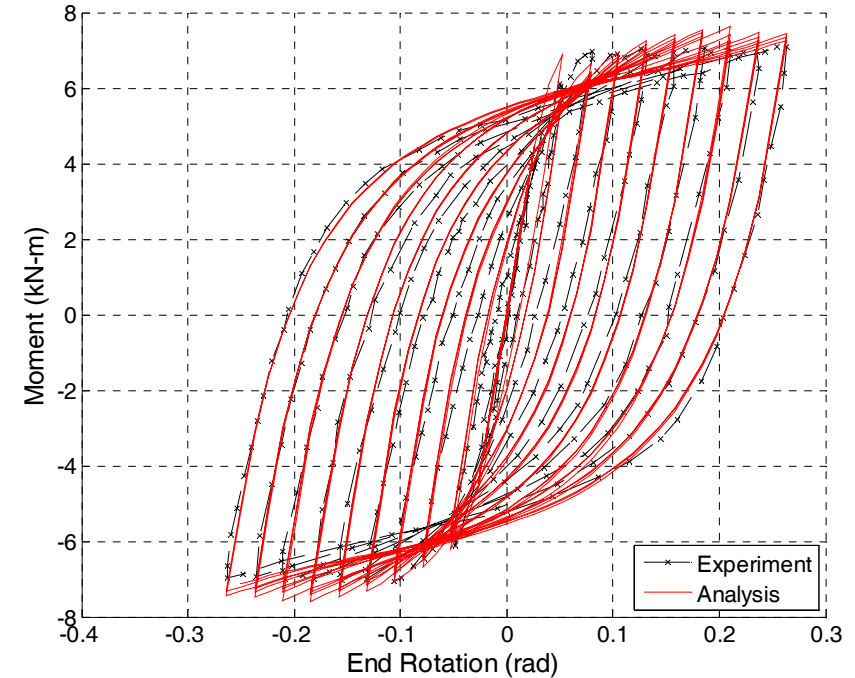


Response of Extreme Steel Fiber Response of Extreme Concrete Fiber

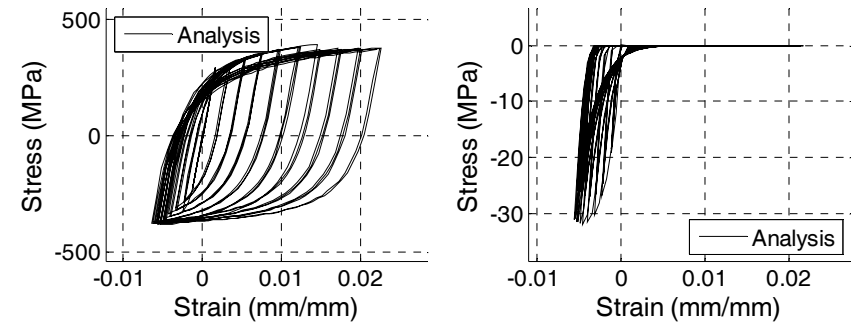


$D = 110 \text{ mm}$; $t = 1.25 \text{ mm}$; $f'_c = 23.1 \text{ MPa}$; $F_y = 430 \text{ MPa}$
 $L = 800 \text{ mm}$

Test #7; Elchalakani & Zhao 2008; Specimen: F14I3



Response of Extreme Steel Fiber Response of Extreme Concrete Fiber



$D = 89.3 \text{ mm}$; $t = 2.52 \text{ mm}$; $f'_c = 23.1 \text{ MPa}$; $F_y = 378 \text{ MPa}$
 $L = 800 \text{ mm}$

Full-Scale Beam-Column Tests

- Specimens chosen to fill gaps in prior experimental research, namely high member slenderness and section slenderness
- Experimentally determine
 - Progression of bending stiffness ($EI_{\text{effective}}$)
 - Beam-column interaction strength, including stability effects
 - Post-peak behavior and progression of damage of members subjected to large cyclic deformations
- Provide complex set of data for validation of computational models



MAST Facility



NEES@Minnesota

The MAST facility permits the comprehensive testing of a wide range of composite beam-columns subjected to three dimensional loading at a realistic scale.



Maximum non-concurrent capacities of MAST DOFs

Degree of Freedom	Load	Stroke/ Rotation
X-Translation	$\pm 3,910$ kN	± 406 mm
X-Rotation	$\pm 12,080$ kN-m	$\pm 7^\circ$
Y-Translation	± 3910 kN	± 406 mm
Y-Rotation	$\pm 12,080$ kN-m	$\pm 7^\circ$
Z-Translation	$\pm 5,870$ kN	± 508 mm
Z-Rotation	$\pm 17,900$ kN-m	$\pm 10^\circ$



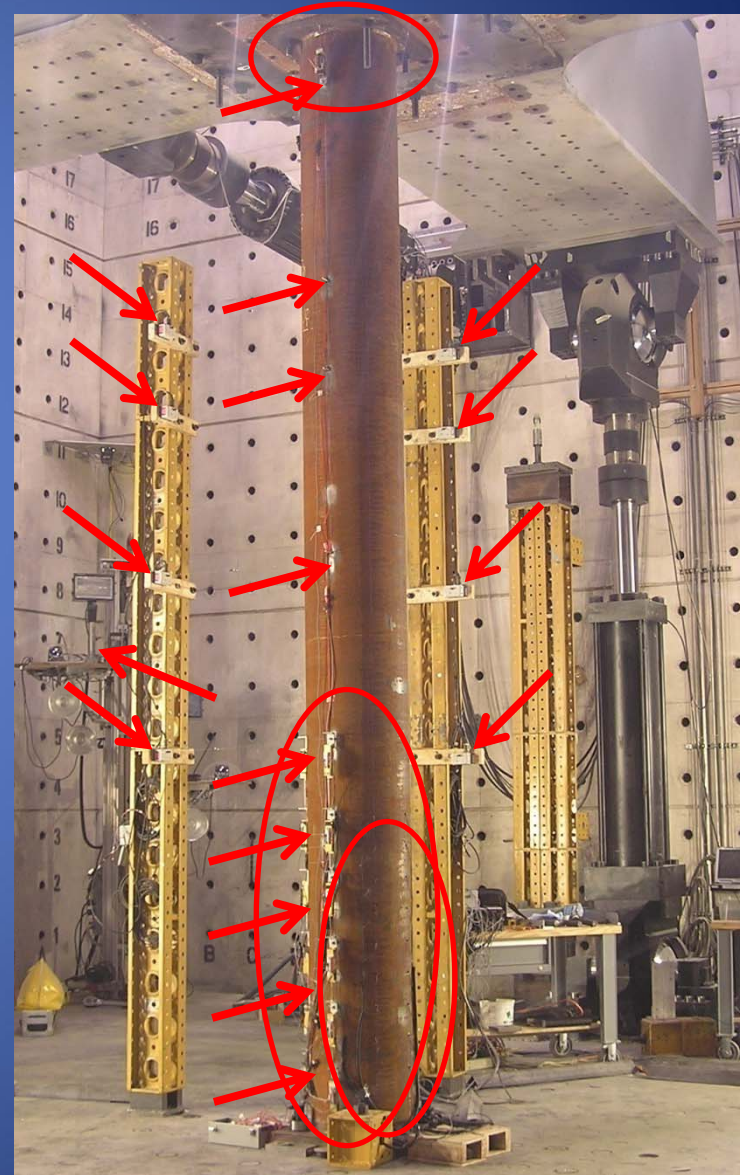
Measured Properties

Specimen	HSS steel					Concrete		
	L (mm) measured	t (mm) measured	F _y (MPa) coupon	F _u (MPa) coupon	E _s (MPa) coupon	f' _c (MPa) measured	E _c (MPa) measured	f _t (MPa) measured
1-CCFT5.563x0.134-18ft-5ksi	5,499	3.24	383.4	487.6	193,984	37.92	27,579	7.58
2-CCFT12.75x0.25-18ft-5ksi	5,499	5.80	337.1	446.2	199,162	37.92	27,579	7.58
3-CCFT20x0.25-18ft-5ksi	5,525	5.98	328.0	470.7	200,262	37.92	27,579	7.58
4-RCFTw20x12x0.3125-18ft-5ksi	5,537	7.15	365.4	501.7	202,375	37.92	27,579	7.58
5-RCFTs20x12x0.3125-18ft-5ksi	5,537	7.15	365.4	501.7	202,375	37.92	27,579	7.58
6-CCFT12.75x0.25-18ft-12ksi	5,499	5.80	337.1	446.2	199,162	87.56	41,851	11.38
7-CCFT20x0.25-18ft-12ksi	5,534	5.98	328.0	470.7	200,262	87.56	41,851	11.38
8-RCFTw20x12x0.3125-18ft-12ksi	5,553	7.15	365.4	501.7	202,375	87.56	41,851	11.38
9-RCFTs20x12x0.3125-18ft-12ksi	5,553	7.15	365.4	501.7	202,375	87.56	41,851	11.38
10-CCFT12.75x0.25-26ft-5ksi	7,950	5.80				50.33	35,094	3.79
11-CCFT20x0.25-26ft-5ksi	7,995	5.98	328.0	470.7	200,262	50.33	35,094	3.79
12-RCFTw20x12x0.3125-26ft-5ksi	7,957	7.15	365.4	501.7	202,375	50.33	35,094	3.79
13-RCFTs20x12x0.3125-26ft-5ksi	7,969	7.15	365.4	501.7	202,375	50.33	35,094	3.79
14-CCFT12.75x0.25-26ft-12ksi	7,950	5.80				79.29	37,921	11.03
15-CCFT20x0.25-26ft-12ksi	7,976	5.98				79.29	37,921	11.03
16-RCFTw20x12x0.3125-26ft-12ksi	7,976	7.15				79.29	37,921	11.03
17-RCFTs20x12x0.3125-26ft-12ksi	7,976	7.15				79.29	37,921	11.03
18-CCFT5.563x0.134-26ft-12ksi	7,976	3.24	383.4	487.6	193,984	79.29	37,921	11.03



Setup and Instrumentation

- Strain Gages
 - Uniaxial and Rosettes Distributed Along Height
 - Measurements during concrete pouring and testing
- LVDTs
 - Sets of three for biaxial curvature measurement
- String Pots
 - Distributed along height
- Krypton Coordinate Measurement Machine
- Video and Still Images
 - Four towers for images of whole specimen as well as base

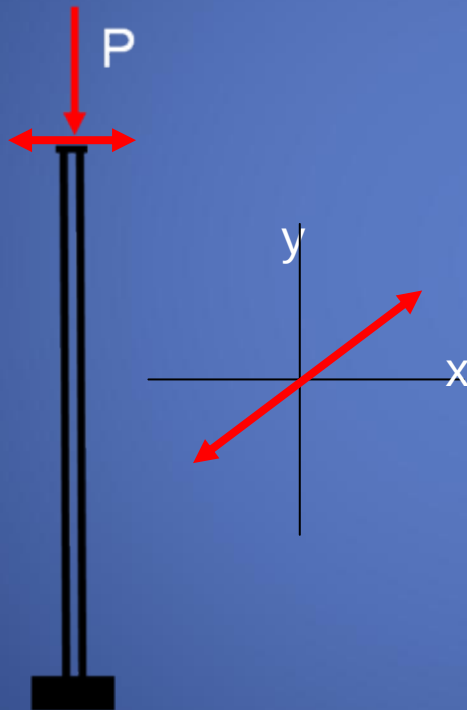


Typical Load Protocol

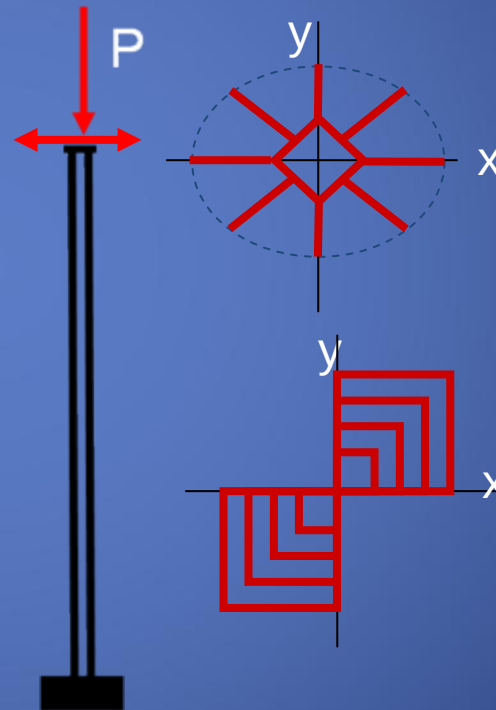
Load Case 1:
Concentric
Loading



Load Case 2-3:
Uniaxial Cyclic



Load Case 4-6:
Biaxial Cyclic



Load Case 7-8:
Torsion



Specimen 8



$D = 508 \text{ mm}$
 $B = 305 \text{ mm}$
 $t = 7.15 \text{ mm}$
 $L = 5,553 \text{ mm}$
 $f'_c = 87.56 \text{ MPa}$
 $F_y = 365.4 \text{ MPa}$

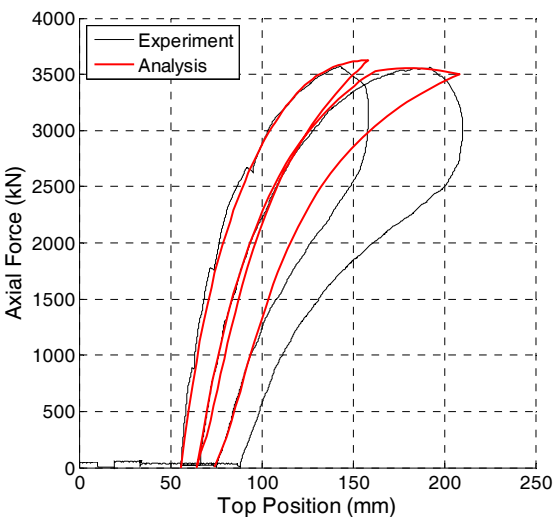
Specimen 11

$D = 508 \text{ mm}$; $t = 5.98 \text{ mm}$;

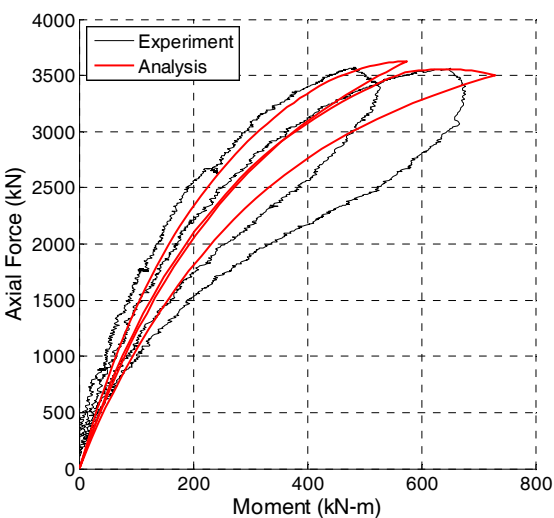
$L = 7,995 \text{ mm}$;

$f'_c = 50.33 \text{ MPa}$; $F_y = 328.0 \text{ MPa}$

Load Case 1

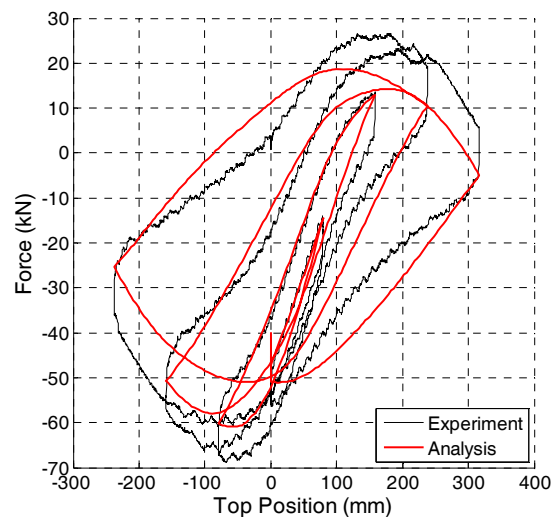


(a) Load Case 1: Concentric Loading

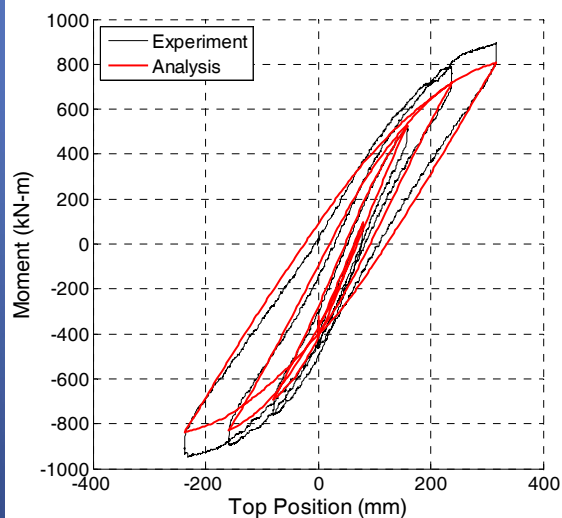


(b) Load Case 1: Concentric Loading

Load Case 2; $P = 2,669 \text{ kN}$

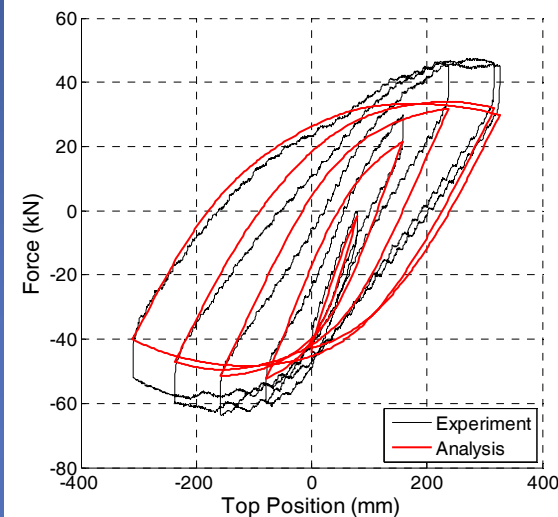


(c) Load Case 2: Uniaxial Cyclic

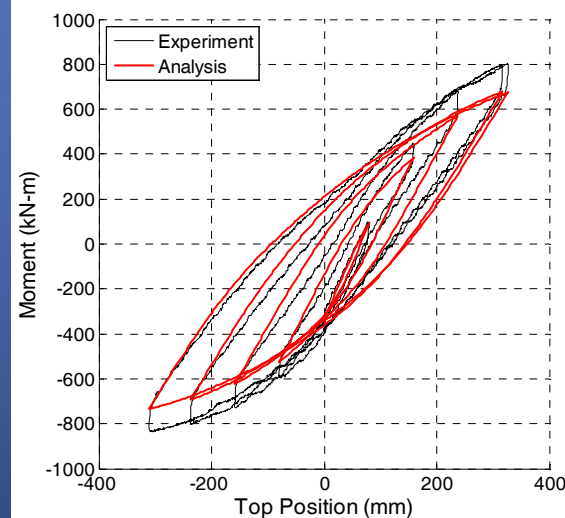


(d) Load Case 2: Uniaxial Cyclic

Load Case 3; $P = 1,334 \text{ kN}$



(e) Load Case 3: Uniaxial Cyclic

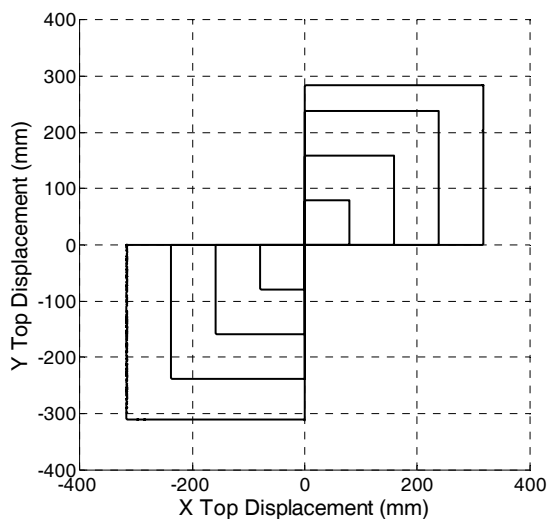


(f) Load Case 3: Uniaxial Cyclic

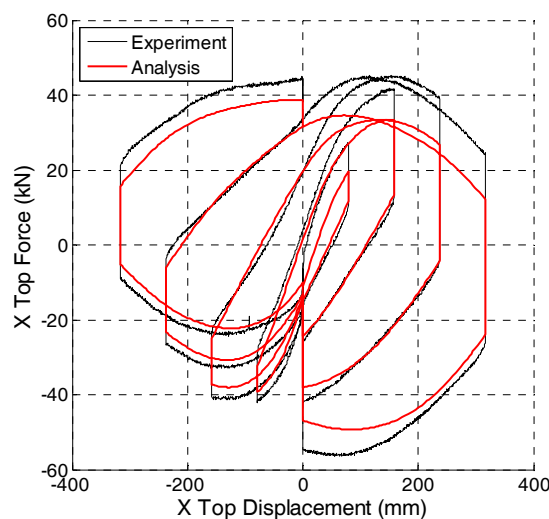
Specimen 11

$D = 508 \text{ mm}; t = 5.98 \text{ mm};$
 $L = 7,995 \text{ mm};$
 $f'_c = 50.33 \text{ MPa}; F_y = 328.0 \text{ MPa}$

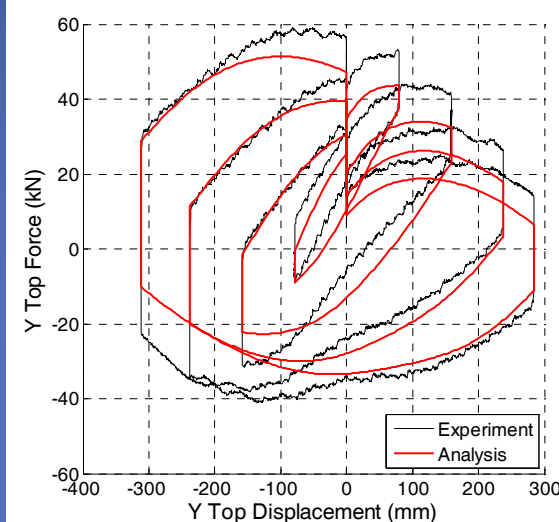
Load Case 4; $P = 2,002 \text{ kN}$



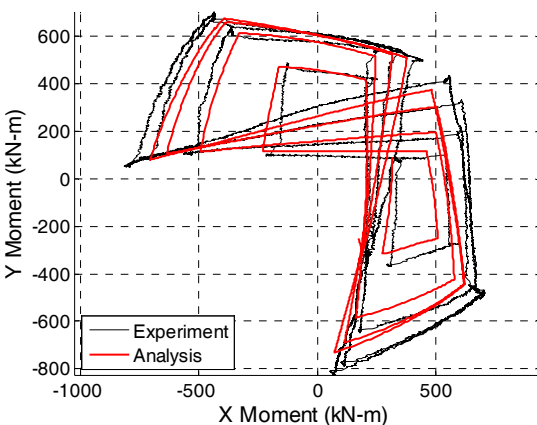
(g) Load Case 4: Biaxial Cyclic



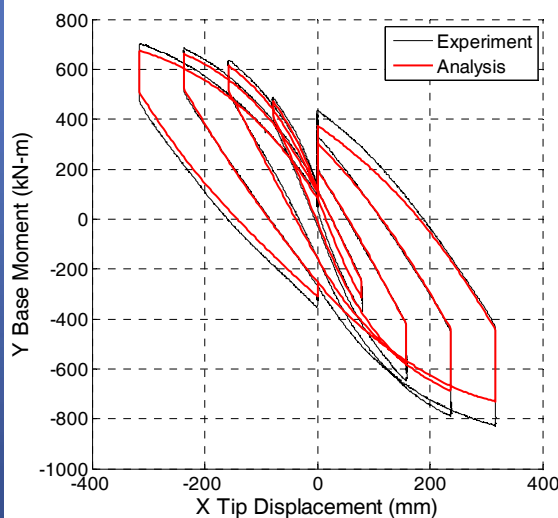
(i) Load Case 4: Biaxial Cyclic



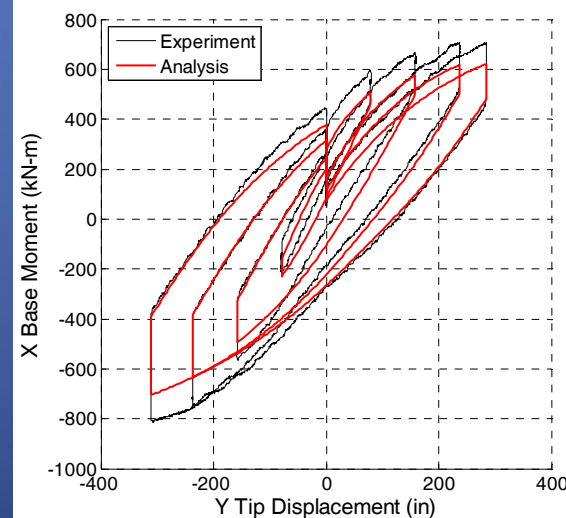
(j) Load Case 4: Biaxial Cyclic



(h) Load Case 4: Biaxial Cyclic



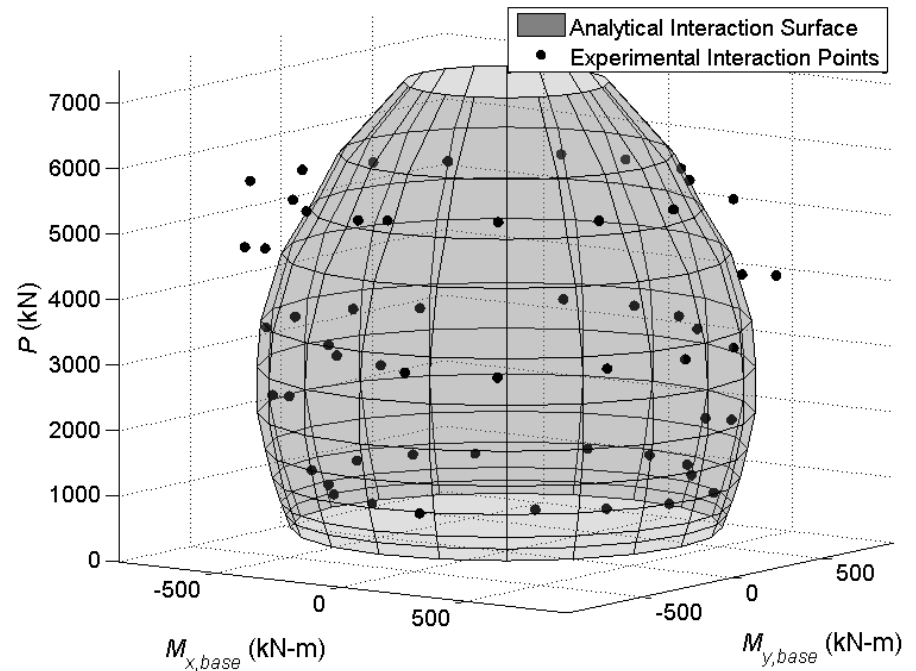
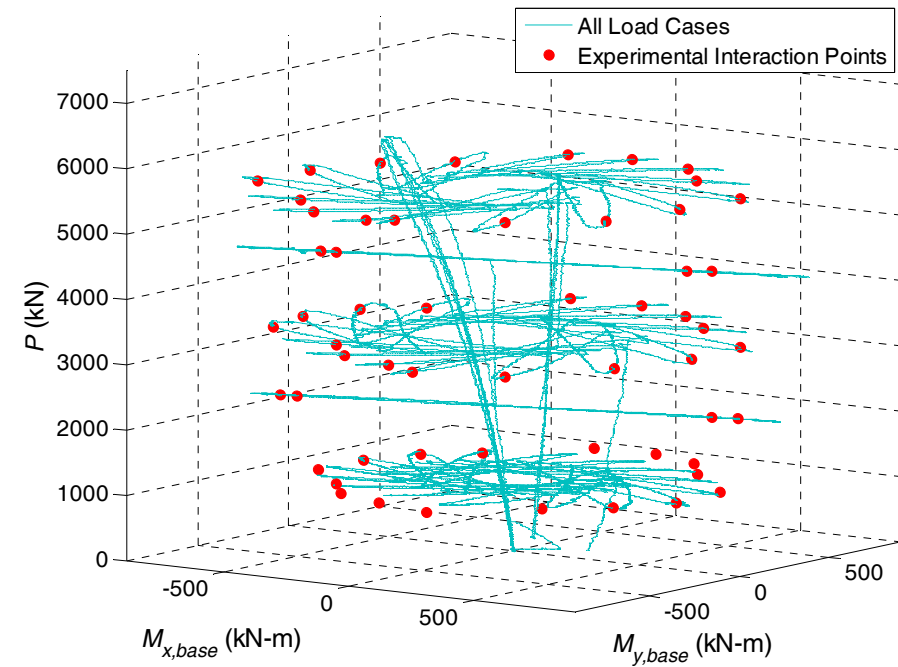
(k) Load Case 4: Biaxial Cyclic



(l) Load Case 4: Biaxial Cyclic

Specimen 3

$D = 508 \text{ mm}; t = 5.98 \text{ mm};$
 $L = 5,525 \text{ mm};$
 $f'_c = 37.92 \text{ MPa}; F_y = 328.0 \text{ MPa}$



Concluding Remarks

- Experimental and computational research on CCFT and RCFT beam-columns
- An accurate nonlinear model has been developed for the analysis of circular concrete filled steel tubes
 - Accuracy confirmed by validation to a broad range of experimental results
 - Future research includes parametric studies
- Testing of the 18 beam-column specimens is complete
 - More detailed comparisons (e.g., at the section or material level) and conclusions are forthcoming based on more detailed data reduction

